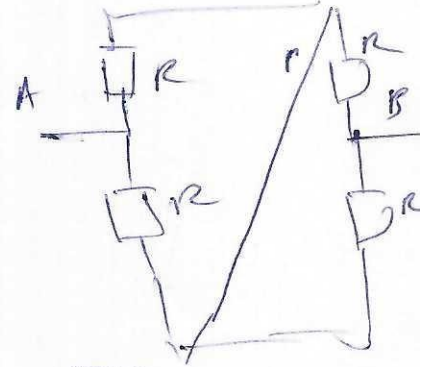


Examen rattrapage 2016/2017

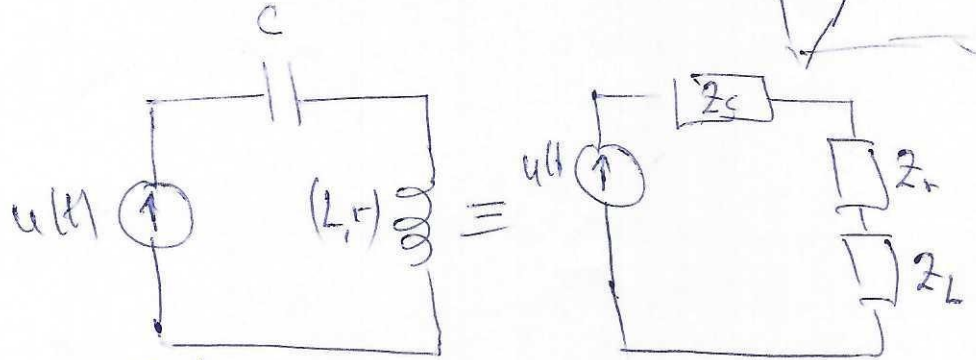
• Exo1 :

$$\underline{P_{AB} = R}$$



• Exo2 :

le circuit



1. Impédance équivalente:

$$\boxed{Z_{ep} = r + j \left(L\omega - \frac{1}{C\omega} \right)}$$

$$\begin{cases} X(\omega) = r \\ Y(\omega) = L\omega - \frac{1}{C\omega} \end{cases}$$

2 - $u = Z_{ep} i \Rightarrow \arg u = \arg Z_{ep} + \arg i$
 $0 = \arctan \frac{\text{Im}(Z_{ep})}{\text{Re}(Z_{ep})} + \varphi$

$$\text{donc } \boxed{\varphi = - \arctan \frac{Y}{X} = - \arctan \frac{L\omega - 1/C\omega}{r}}$$

3 - $\omega = \omega_0$ Z_{ep} pure.

$$\text{Im}(Z_{ep}) = Y(\omega_0) = 0 \Rightarrow L\omega_0^2 = \frac{1}{C}$$

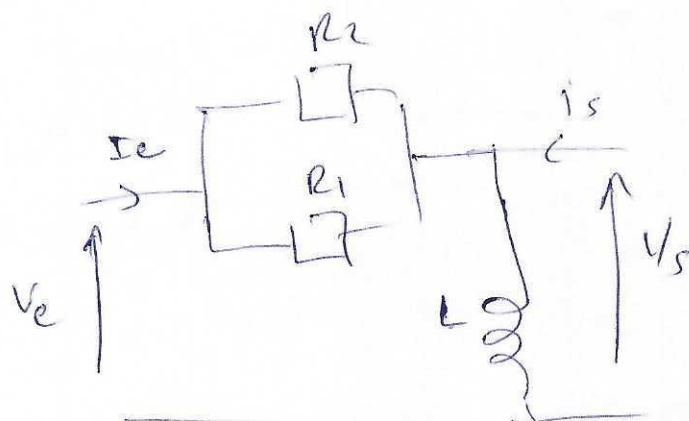
$$\boxed{\omega_0 = \frac{1}{\sqrt{LC}}}$$

$$\cdot \boxed{\text{En phase } \varphi = 0}$$

4. $\omega = \omega_0$

$$i_L = \frac{U}{r}$$

Exo 3 :



1. Matrice de transfert :

$$T = \begin{bmatrix} 1 & R_{ep} = R_1 \parallel R_2 \\ \frac{1}{Z_L} & 1 + \frac{R_{ep}}{Z_L} \end{bmatrix}$$

2. $i_s = 0$

Pont diviseur de tension

$$V_s = \frac{Z_L}{R_{ep} + Z_L} V_e \Rightarrow H(j\omega) = \frac{V_s}{V_e}$$

$$H(j\omega) = \frac{j\omega L}{1 + j\omega L \frac{R_1 + R_2}{R_1 R_2}} \Rightarrow H(jx) = \frac{jx}{1 + jx}$$

avec $x = \frac{\omega L (R_1 + R_2)}{R_1 R_2}$

3. Gain $G(\omega)$ et G_{dB}

$$|G(\omega)| = |H(j\omega)| = \frac{x}{\sqrt{1+x^2}}$$

$$G_{dB} = 20 \log G(\omega) = 20 \log x - 10 \log(1+x^2)$$

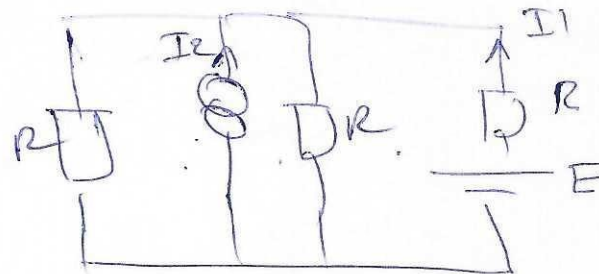
$$G_{dB} = 20 \log x - 10 \log(1+x^2)$$

4. La phase : $\phi(x) = \arg H(jx)$

$$\begin{aligned} \arg H(jx) &= \arg jx - \arg(1+jx) \\ &= \arctan \frac{x}{0} - \arctan \frac{x}{1} \end{aligned}$$

$$\phi = \frac{\pi}{2} - \arctan x$$

Ex 4 :



1. Circuit composé :

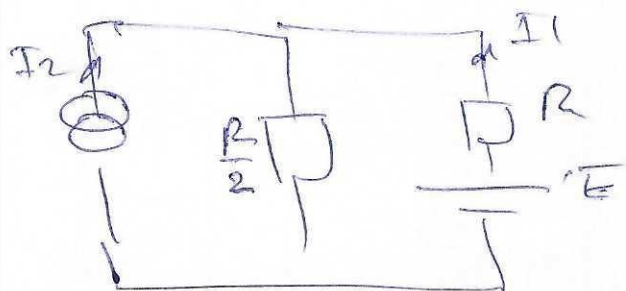
- 5 dipôles
- 4 branches

• 6 mailles

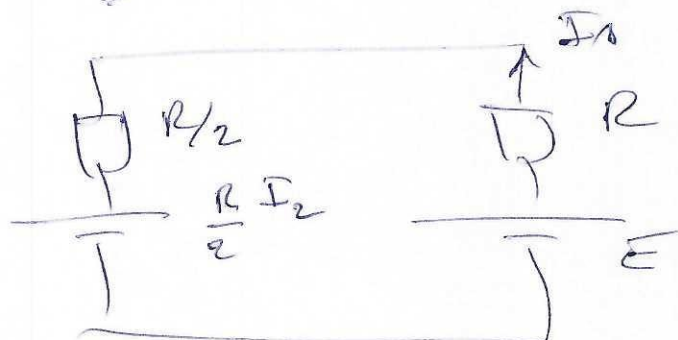
• 2 ou 4 noeuds

2. Calcul de I_1 par Thévenin

On a



Équivalence Norton - Thévenin

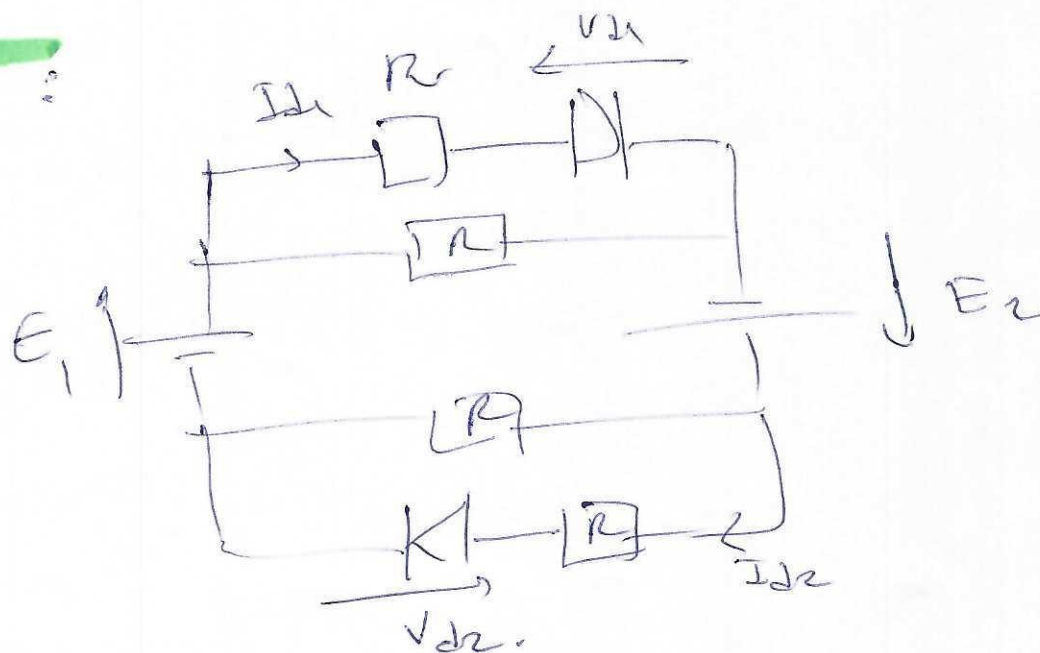


d'où

$$I_1 = \frac{E - \frac{R I_2}{2}}{3R/2} = \frac{2E - R I_2}{3R}$$

$$I_1 = \frac{2E - R I_2}{3R}$$

Ex 5 :



1. l'équation de la droite de charge :

la loi des mailles.

$$E_1 - R I_{d1} - V_{d1} + E_2 - R I_{d2} - V_{d2} = 0$$

$$E_1 + E_2 - R (I_{d1} + I_{d2}) - (V_{d1} + V_{d2}) = 0$$

$$E_1 + E_2 - R I_d - V_d = 0$$

d'o

$$I_d = \frac{E_1 + E_2}{R} - \frac{V_d}{R}$$

2- Les deux points particuliers

$$A \left(\frac{E_1 + E_2}{R}, 0 \right); B(0, E_1 + E_2)$$

3- D₁ : Bloquée, D₂ : Bloquée

$$I_1 = \frac{E_1 + E_2}{2R}$$

D₁ : Bloquée, D₂ : passante

$$I_1 = \frac{2(E_1 + E_2)}{3R}$$

D₁ : passante, D₂ : Bloquée

$$I_1 = \frac{2(E_1 + E_2)}{3R}$$

D₁ : passante, D₂ : passant

$$I_1 = \frac{E_1 + E_2}{R}$$